



Recent Studies on RICH identification

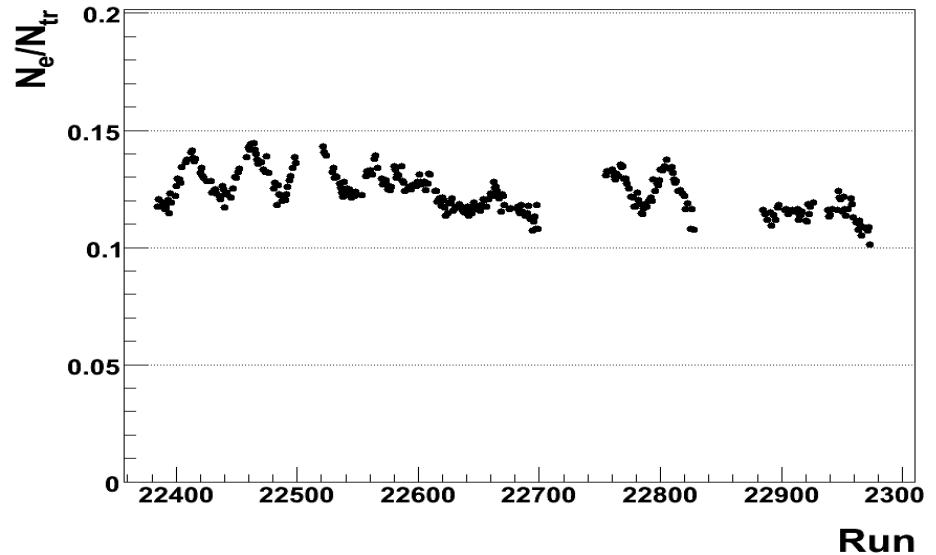
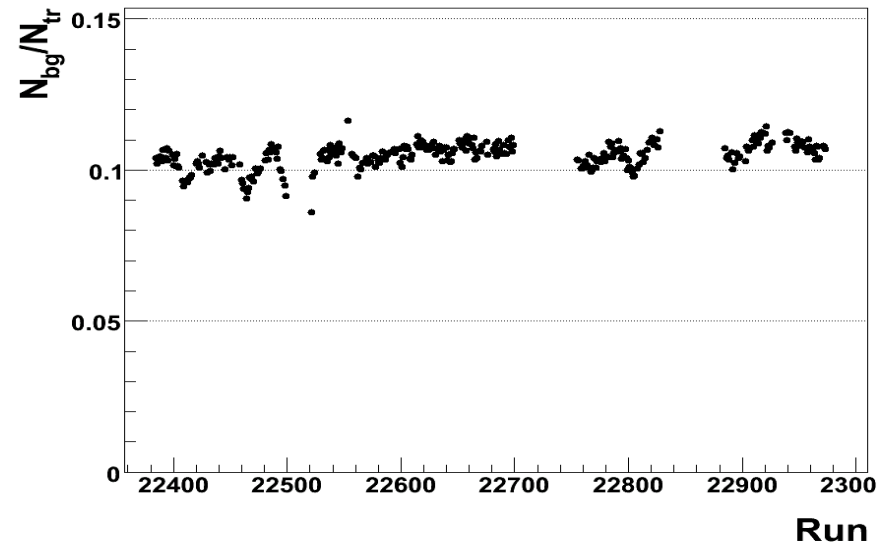
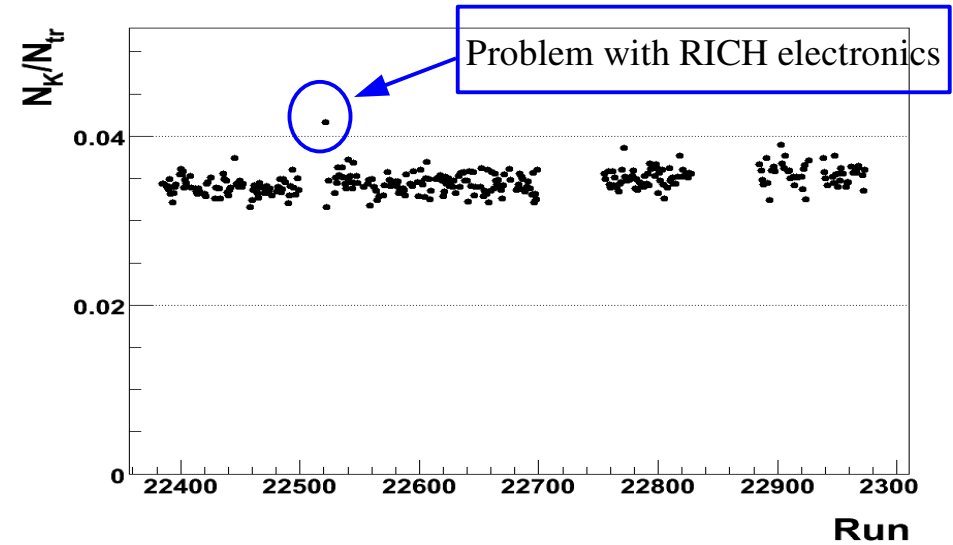
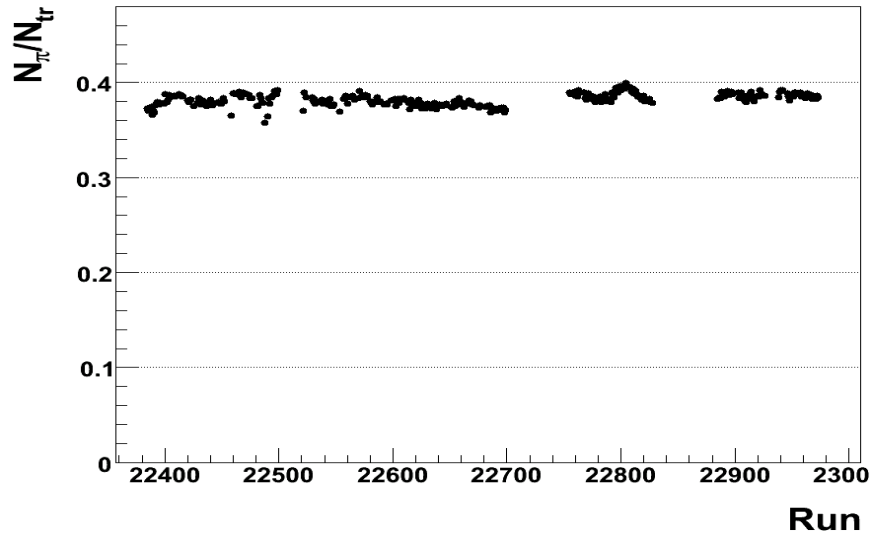
Rafał Gazda
IPJ Warsaw

- Stability studies
- Purity evaluation
- Corrections to asymmetries

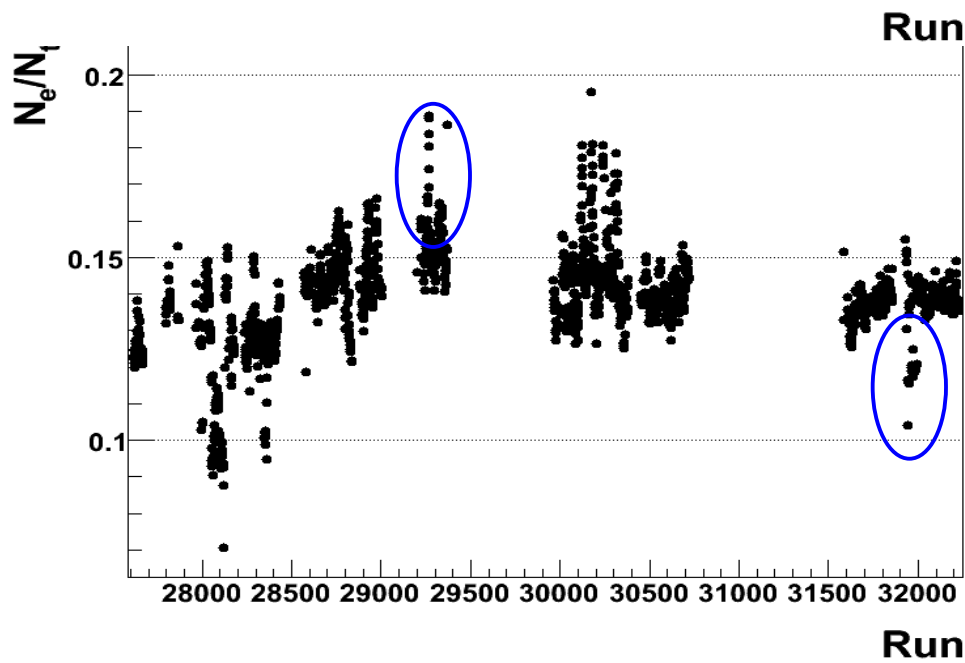
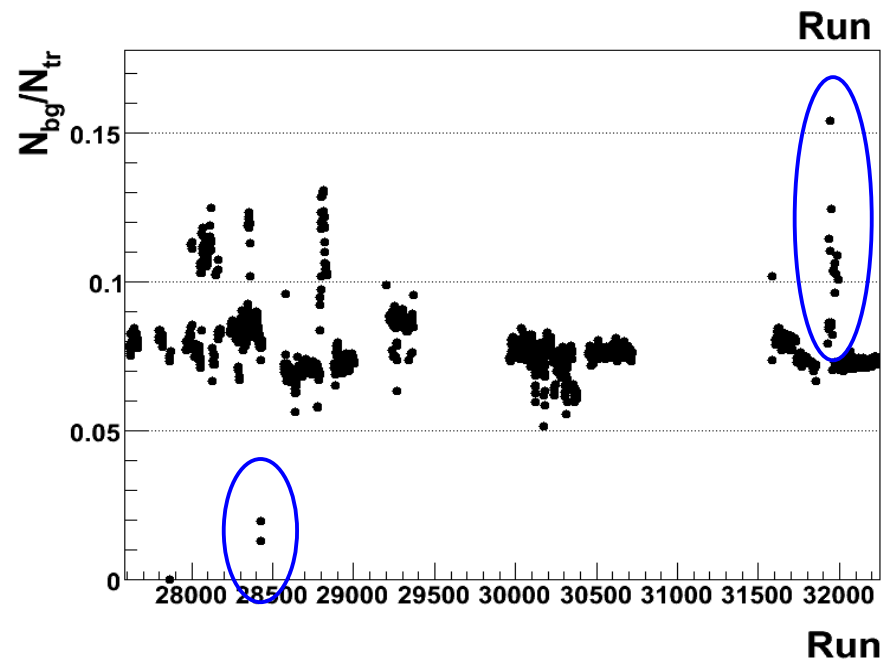
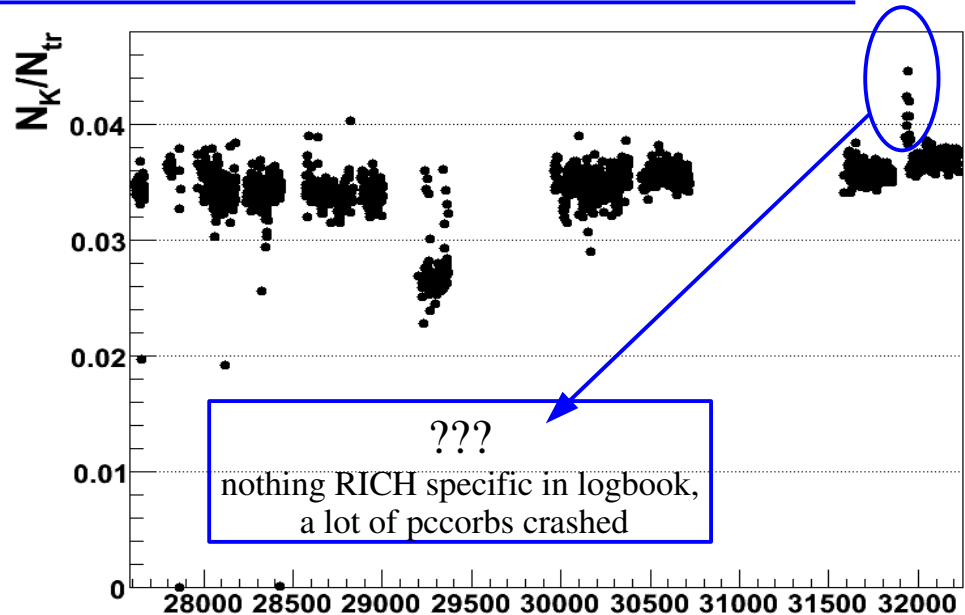
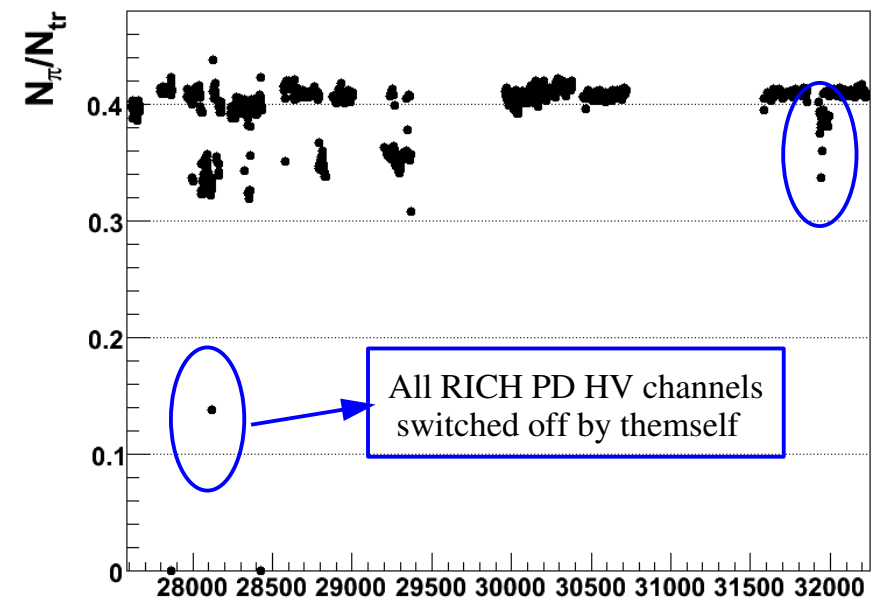
Bad runs and bad spills

1. Standard badruns and badpsills
2. Monitoring of four ratios:
 - Number of electrons / number of outgoing particles from primary vertex (RICH acceptance was not applied)
 - #bg / #particles
 - # π / #particles
 - #K / #particles
3. electrons, bg, π and K are defined by max LH from RICH (no other tuning).

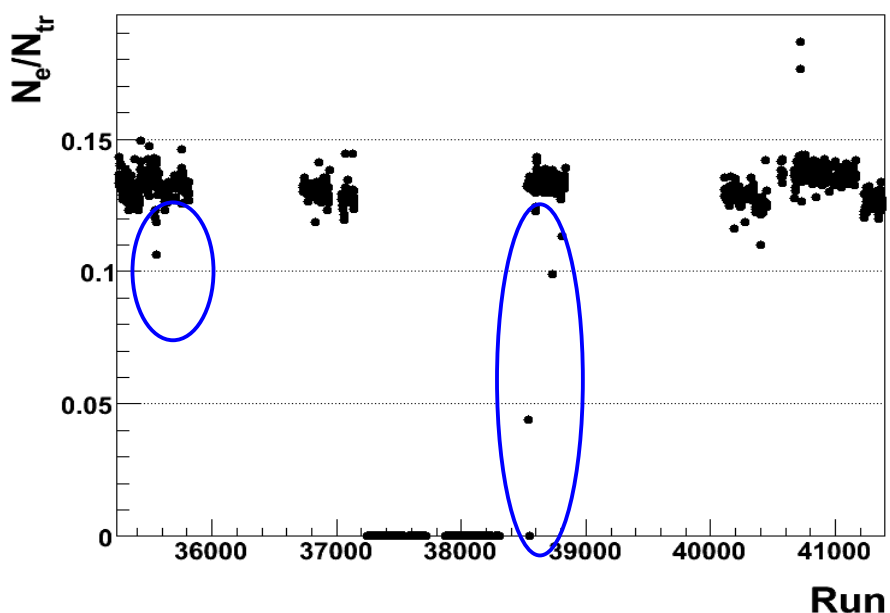
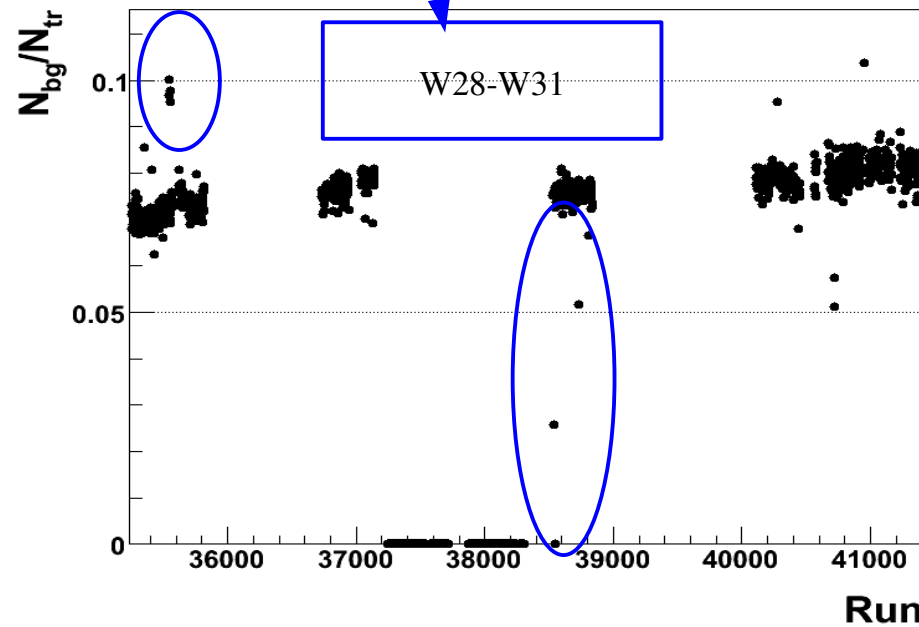
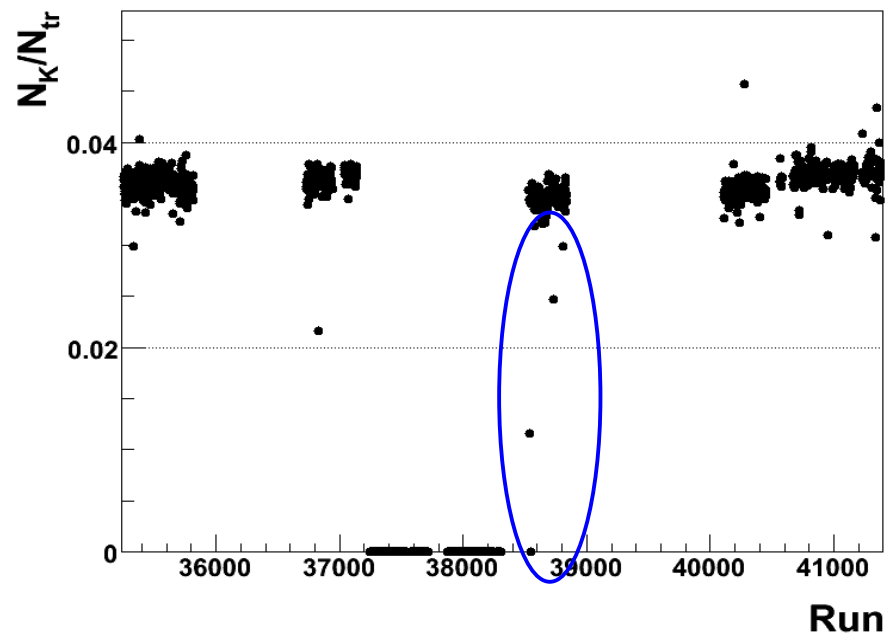
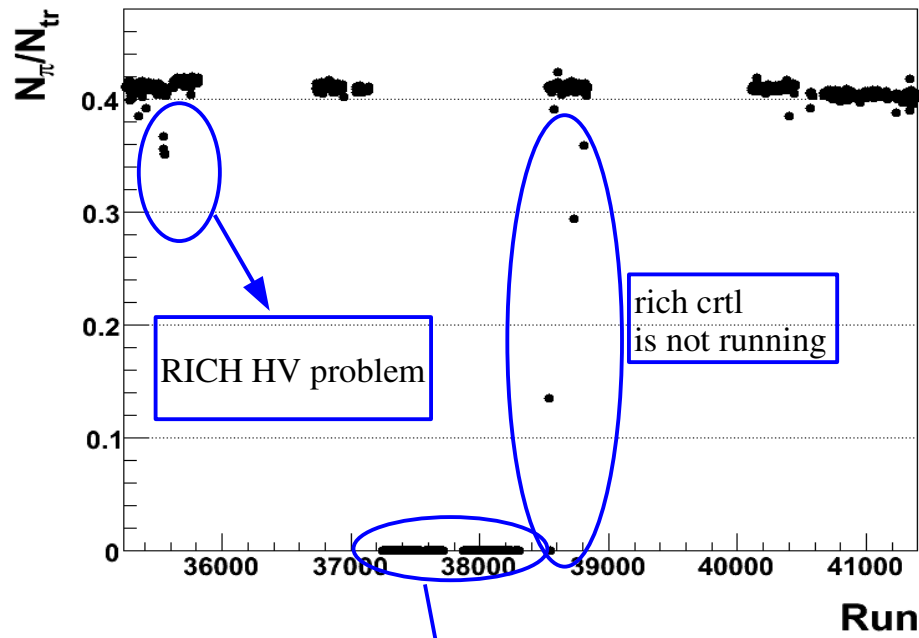
Bad runs (2002)



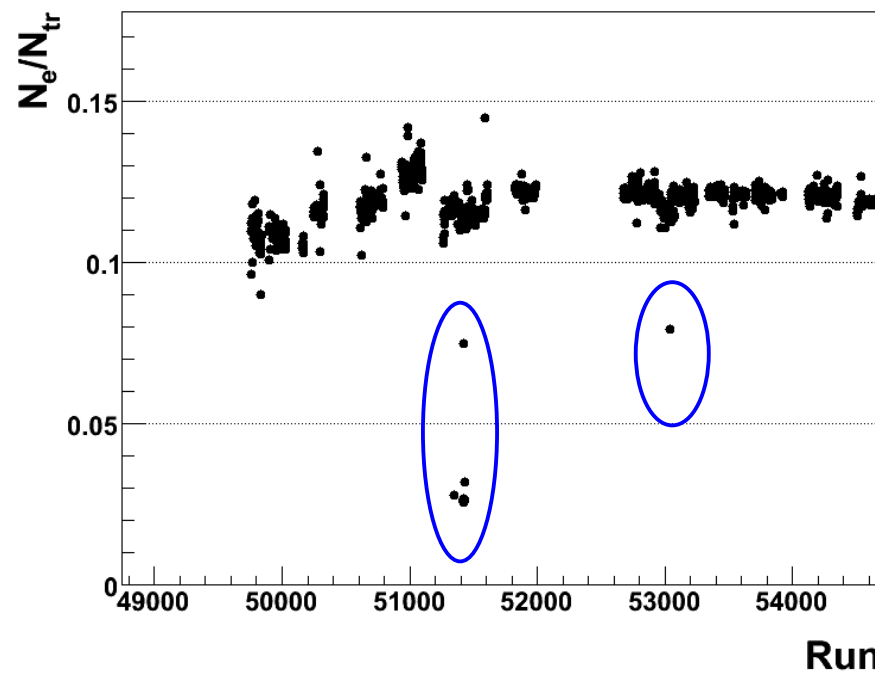
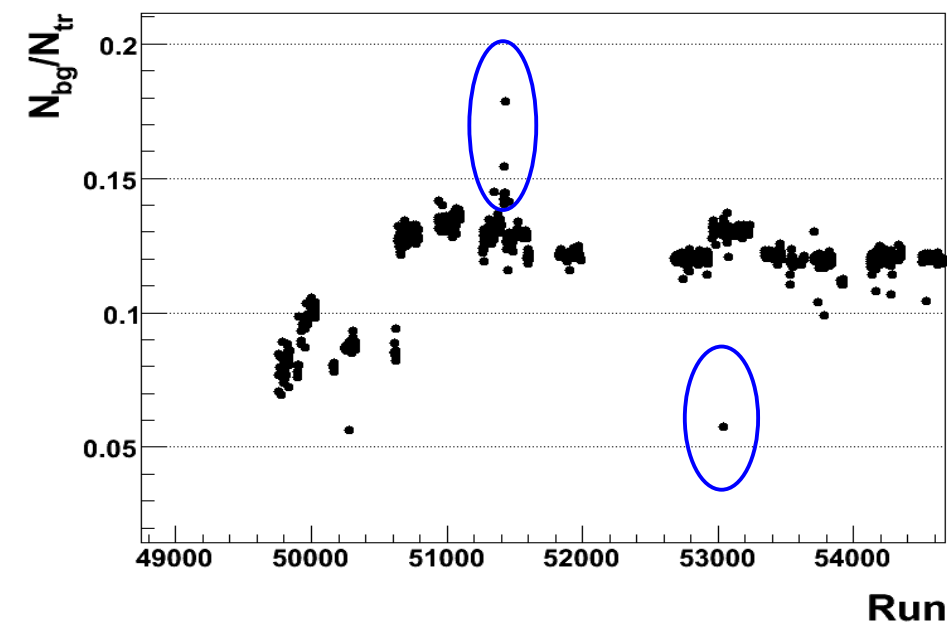
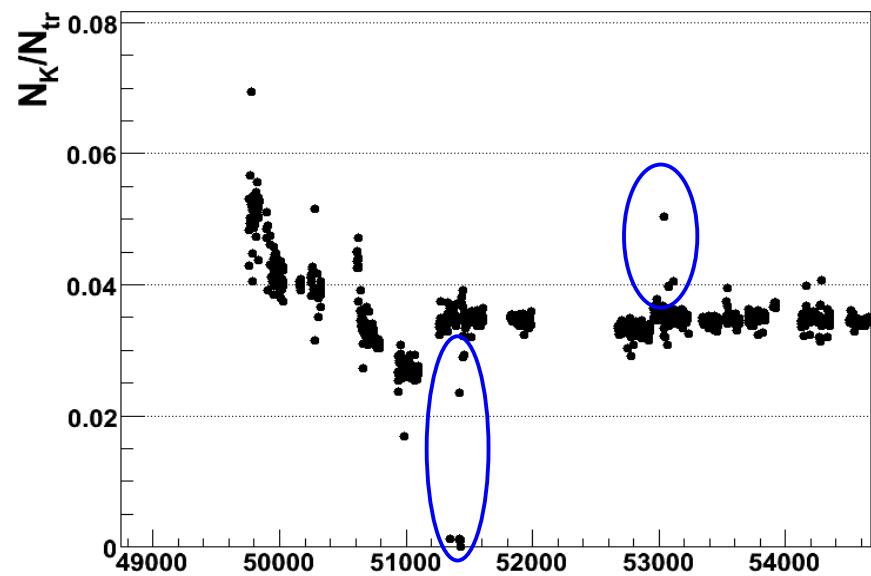
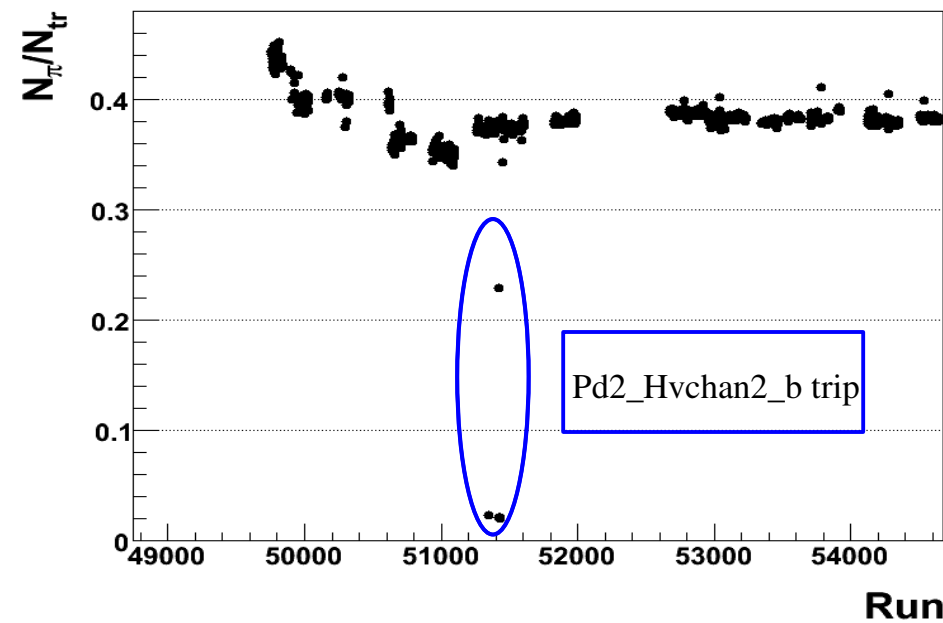
Bad runs (2003)



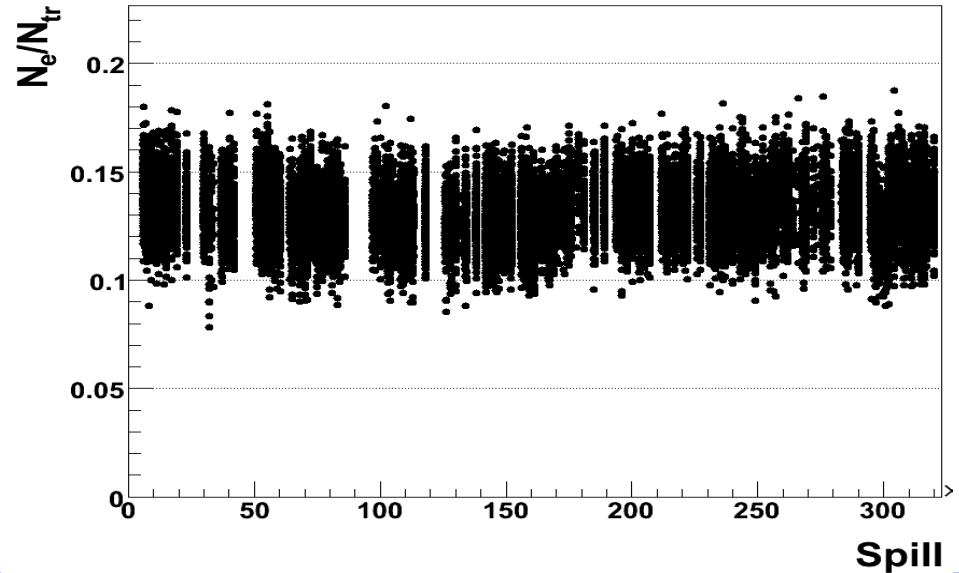
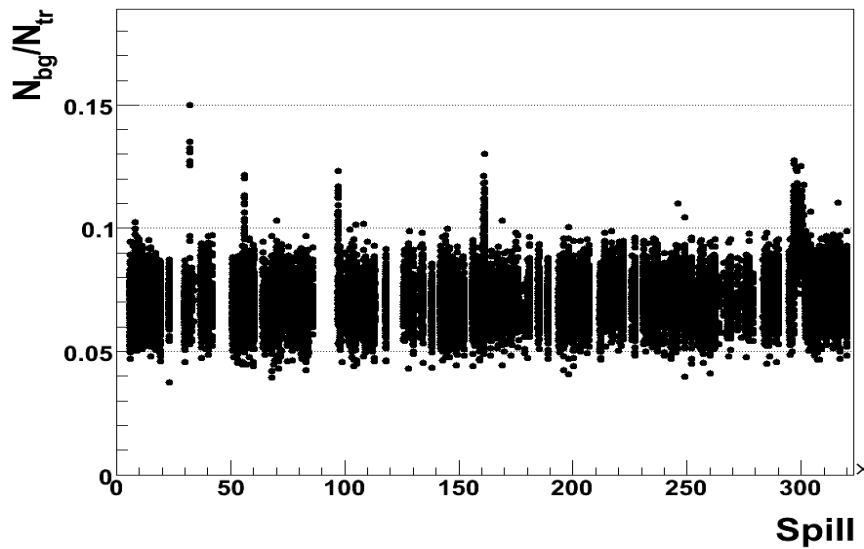
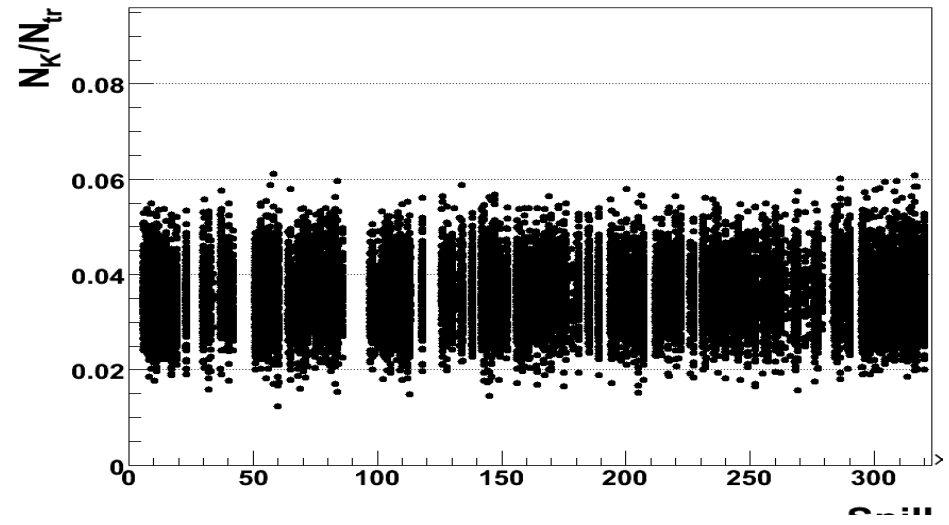
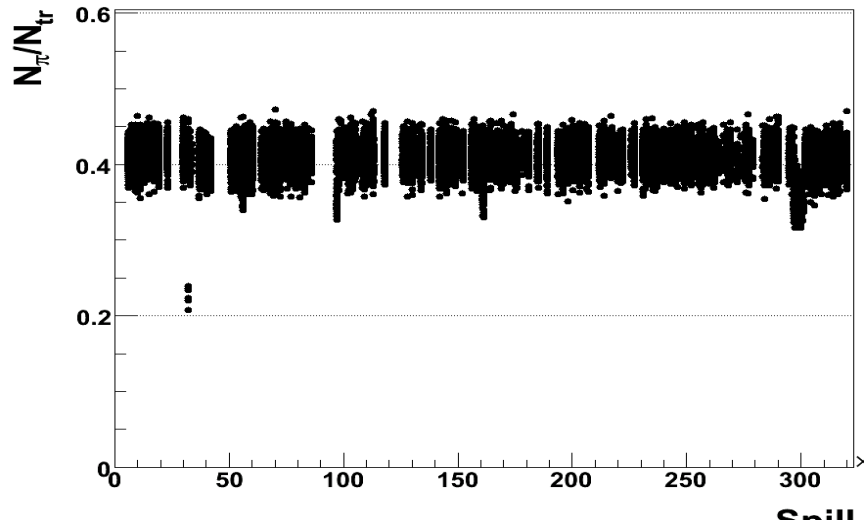
Bad runs (2004)



Bad runs (2006)



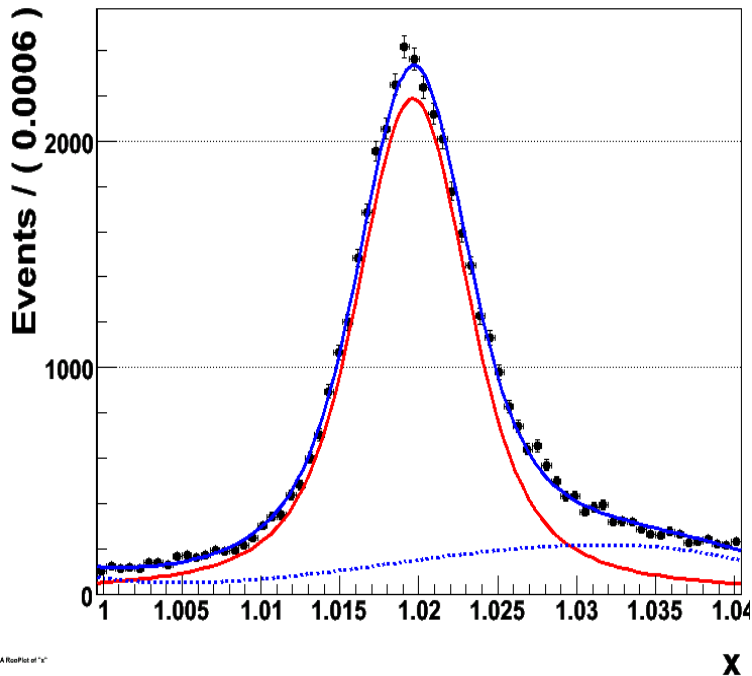
Bad spills (2004, W22)



Conclusion from this part

- Only few runs removed for each year
- Number of identified hadron / number of tracks is almost the same for all years
- Monitoring spill by spill is ongoing
- Possible effect to asymmetries is rather marginal

Purity evaluation



Calculated from **exclusive** ϕ sample:

- **exactly 2 particles (+mu')** from PV
- **Cut on missing energy 2.5 GeV**

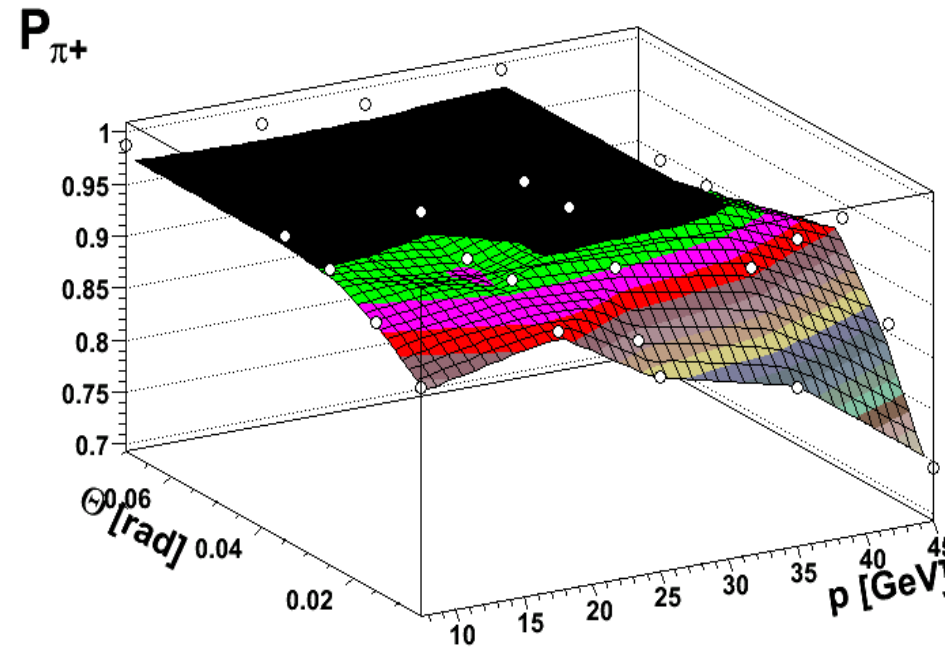
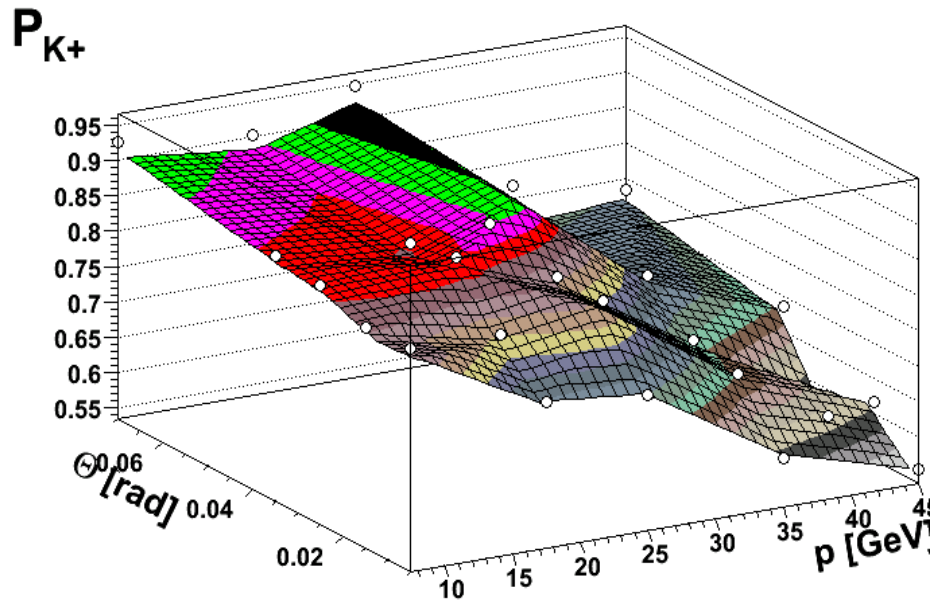
$S/B > 20$ – particles in window 1σ treated as true kaons.

$$LH(K) > 1.24 LH(bg)$$

$$LH(K) > 1.02 LH(\pi)$$

$$LH(K) > LH(2max)$$

For each x bin purity was calculated vs momentum and polar angle. For example 1st bin of x:



$$Purity(K) = \frac{P_{K \rightarrow K} \cdot N_K^T}{N_K^I} = \frac{1 - \frac{P_{\pi \rightarrow K}}{P_{\pi \rightarrow \pi}} \frac{N_{\pi}^I}{N_K^I}}{1 - \frac{P_{\pi \rightarrow K}}{P_{\pi \rightarrow \pi}} \frac{P_{K \rightarrow \pi}}{P_{K \rightarrow K}}}$$

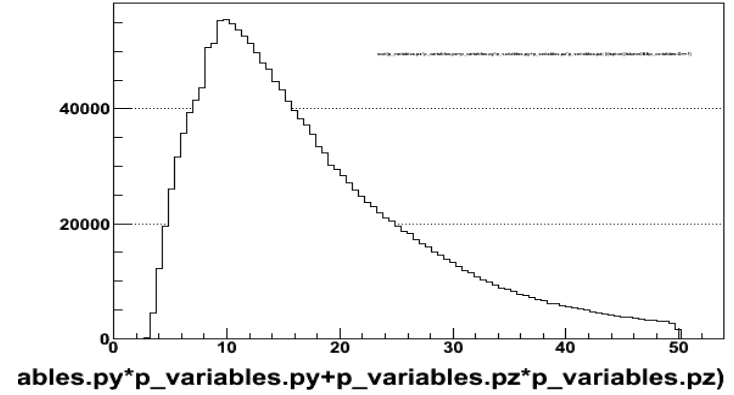
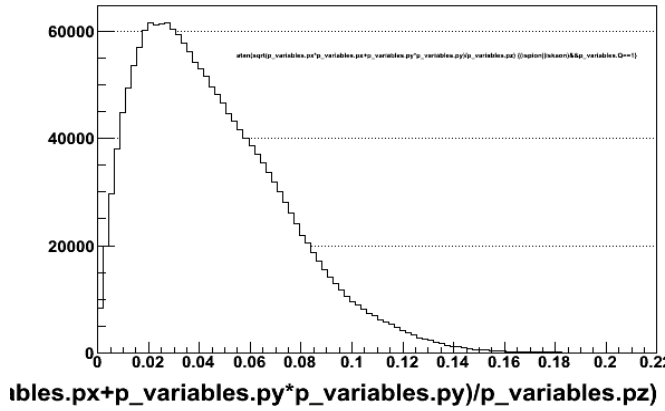
Thanks to Federica

h+

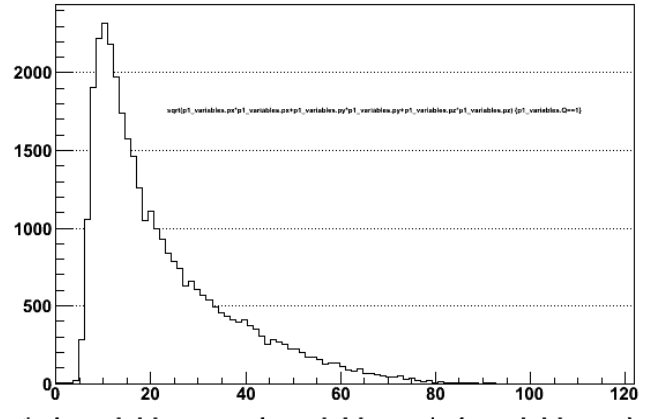
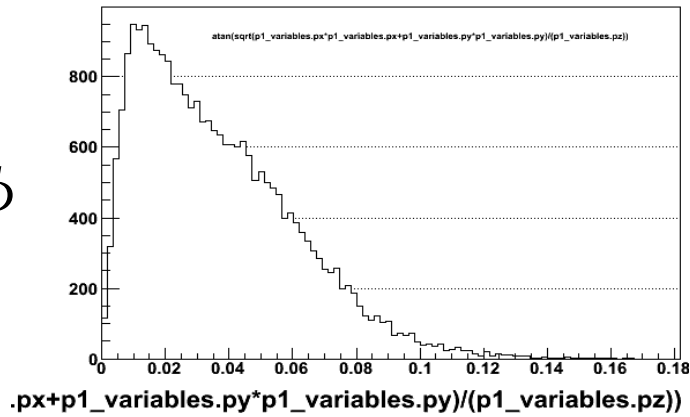
polar angle

momentum

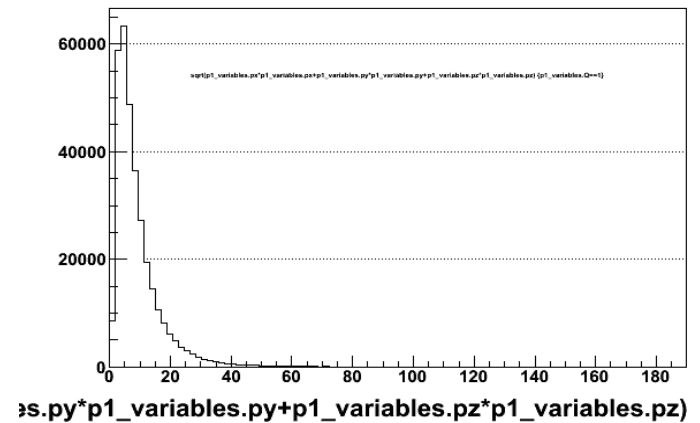
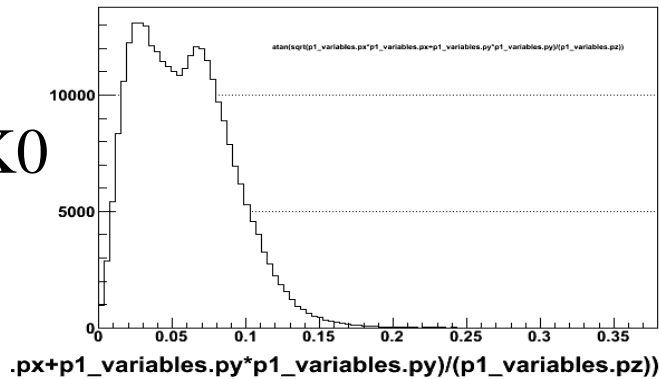
K or pi



K from ϕ

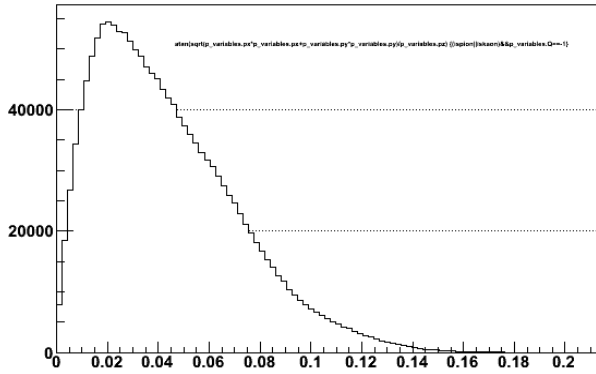


pi from K0



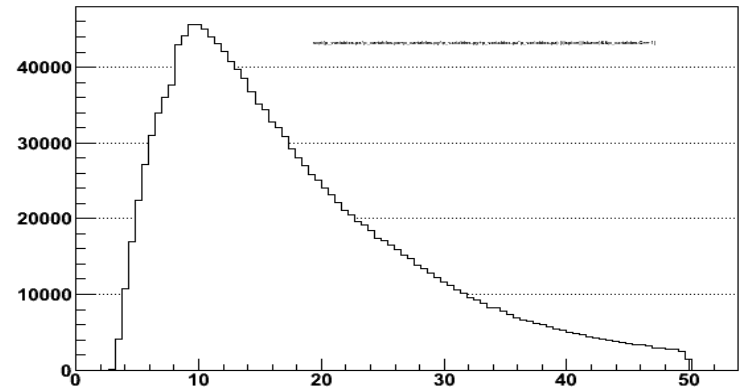
h-

polar angle

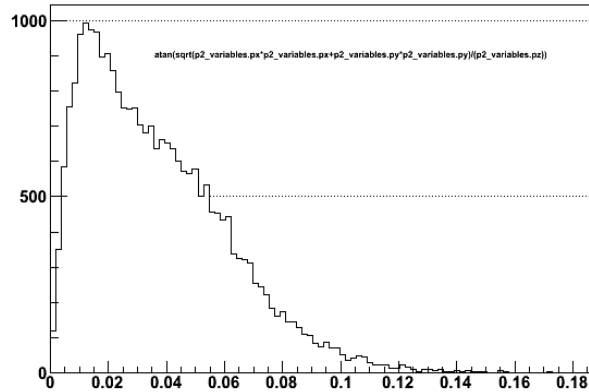


ables.px+p_variables.py*p_variables.py)/p_variables.pz)

momentum

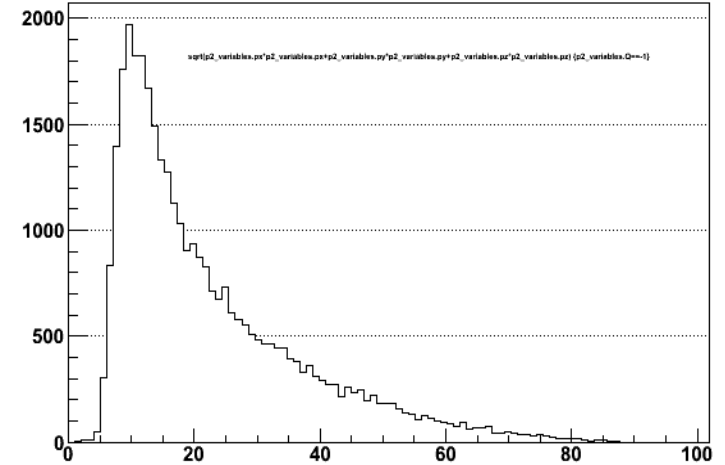


K or pi



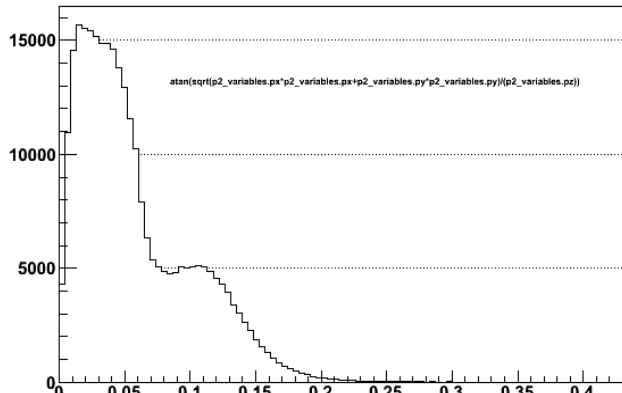
.px+p2_variables.py*p2_variables.py)/(p2_variables.pz)

abl



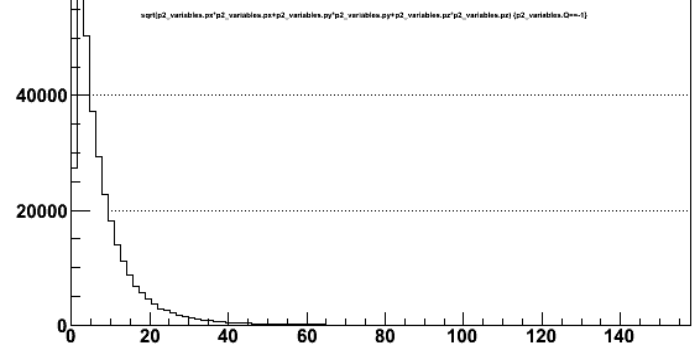
ables.py*p2_variables.py+p2_variables.pz*p2_variables.pz)

K from ϕ



.px+p2_variables.py*p2_variables.py)/(p2_variables.pz)

pi from K0

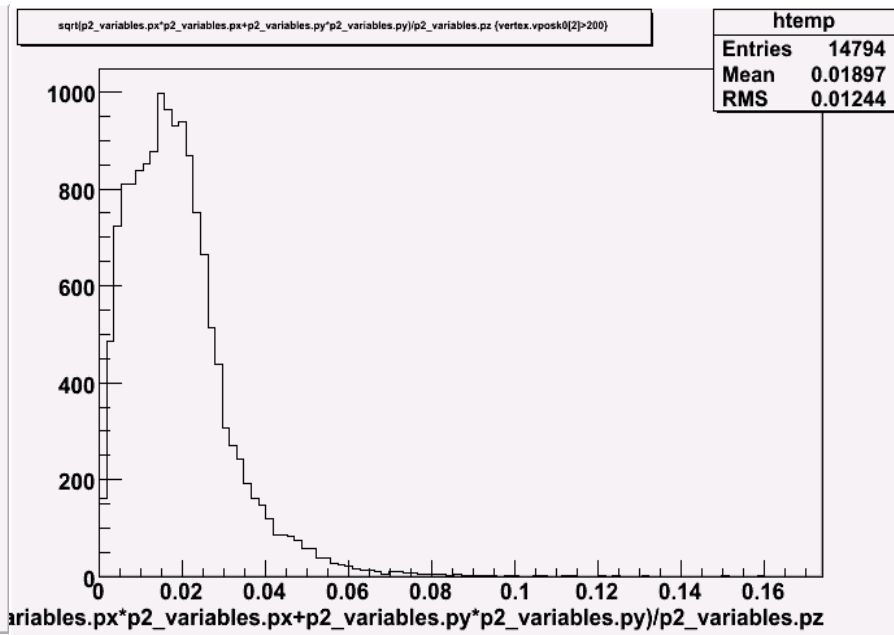
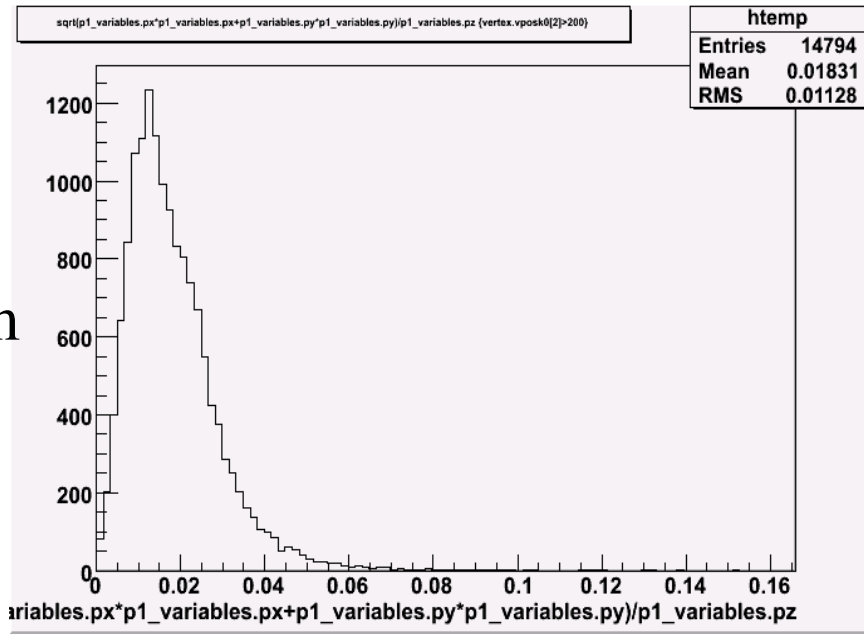


ables.py*p2_variables.py+p2_variables.pz*p2_variables.pz)

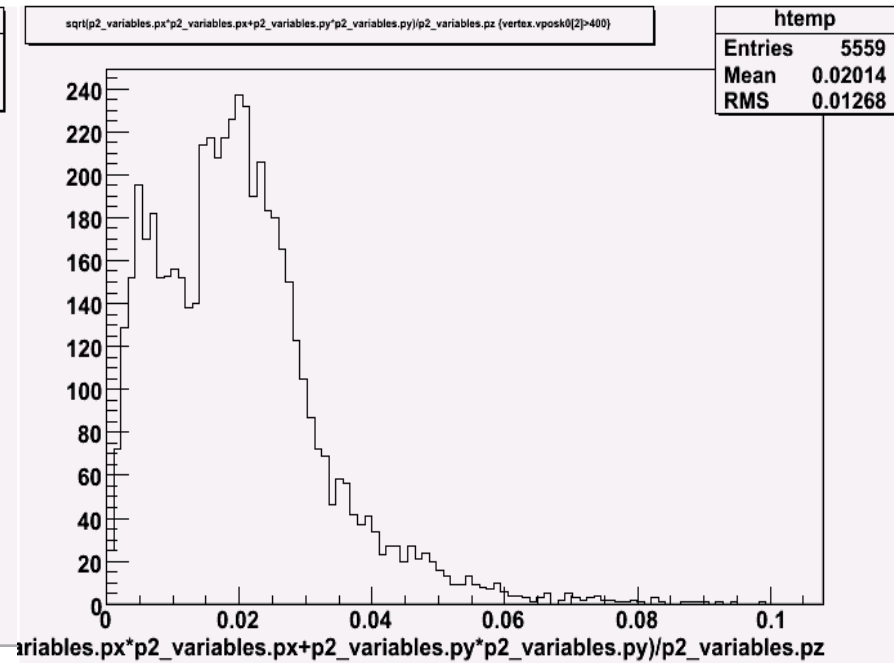
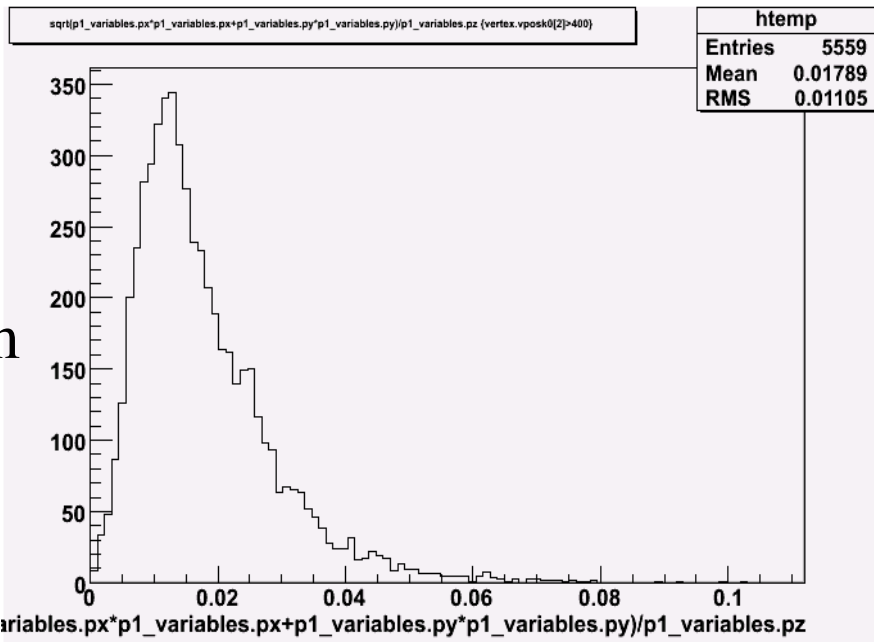
h+

h-

z>2m

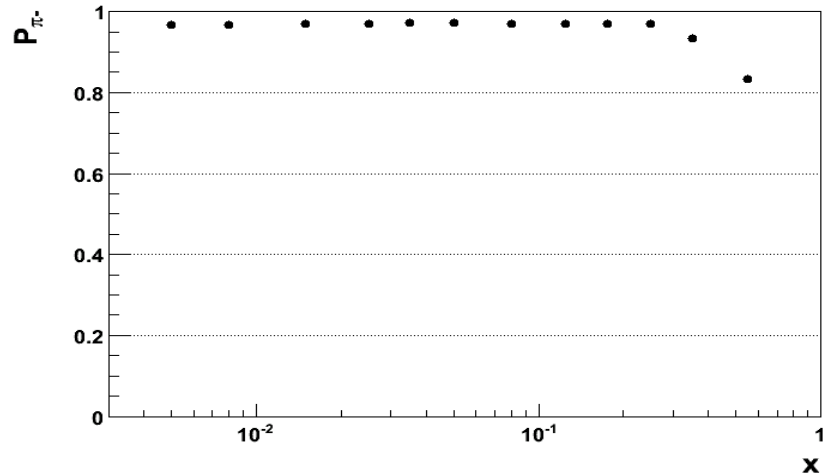
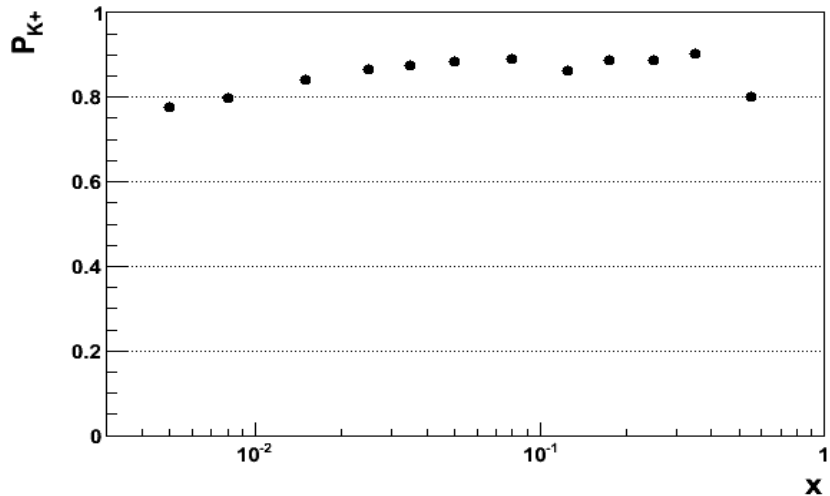
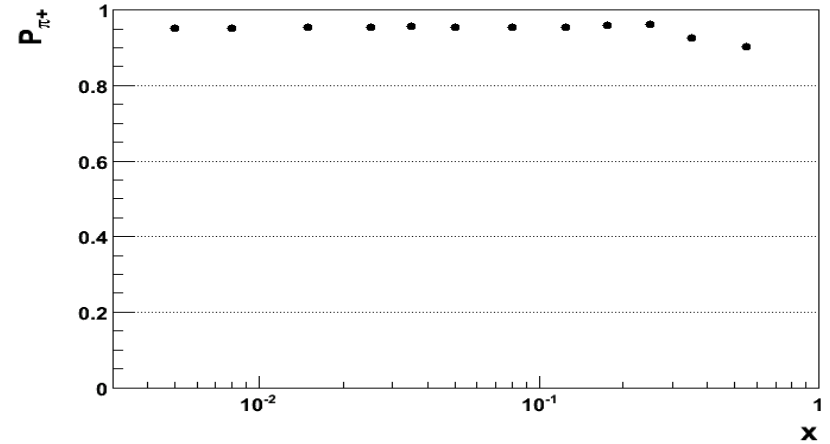
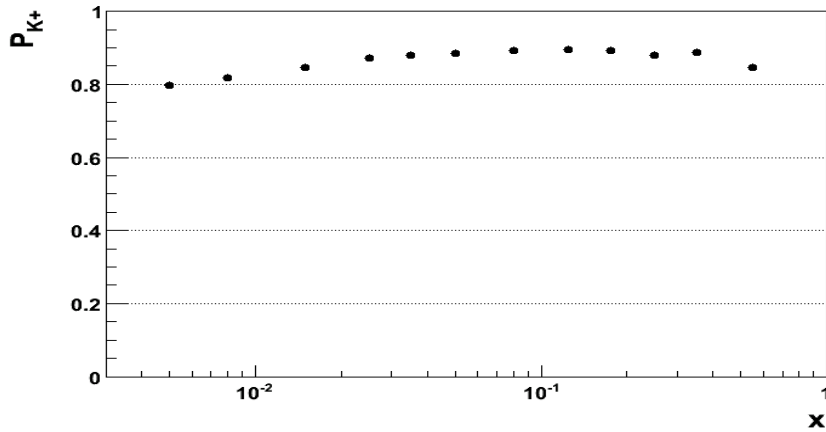


z>4m



Purities vs x

$$Purity(K) = \frac{1}{N_K} \sum_i Purity(\theta_i, p_i) Ni$$



How to correct asymmetries?

$$A_{\pi}^M = p_{\pi} A_{\pi}^T + (1 - p_{\pi}) A_K^T$$

$$A_K^M = p_K A_K^T + (1 - p_K) A_{\pi}^T$$

A_{π}^M – measured pions asymmetry

A_{π}^T – true pions asymmetry

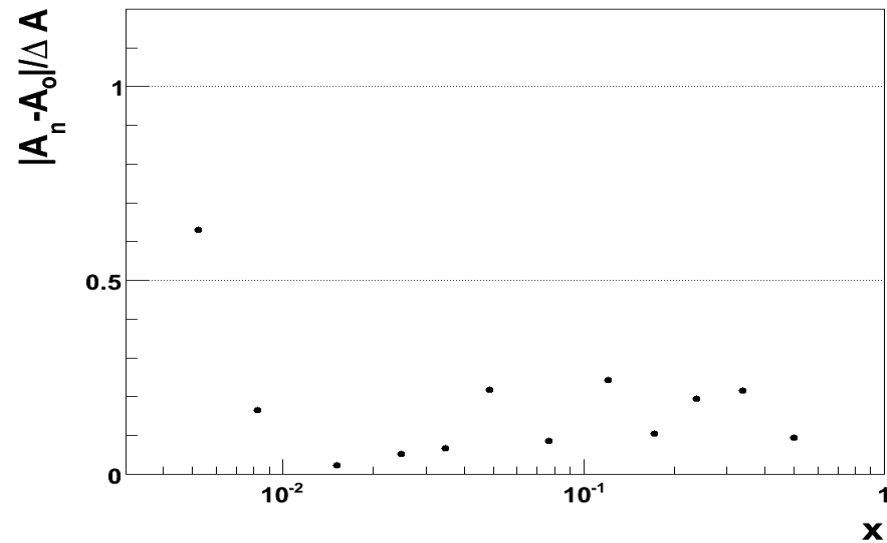
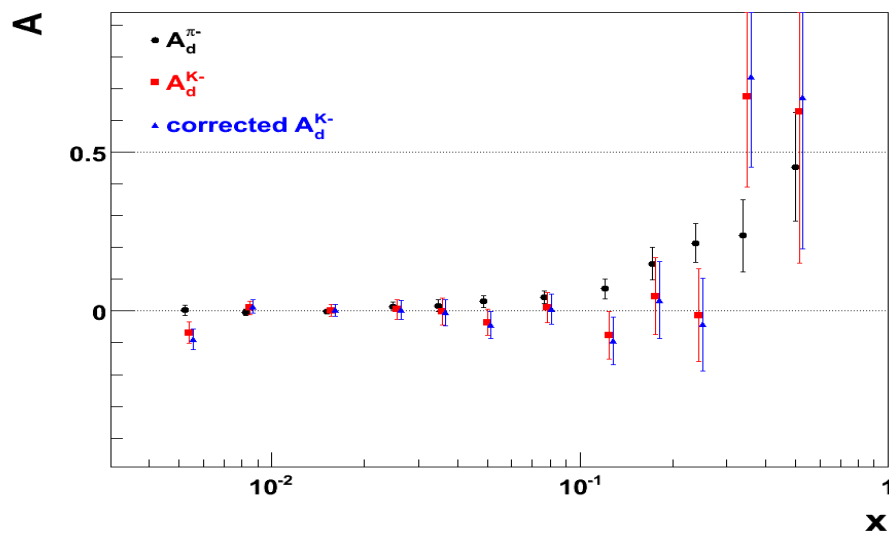
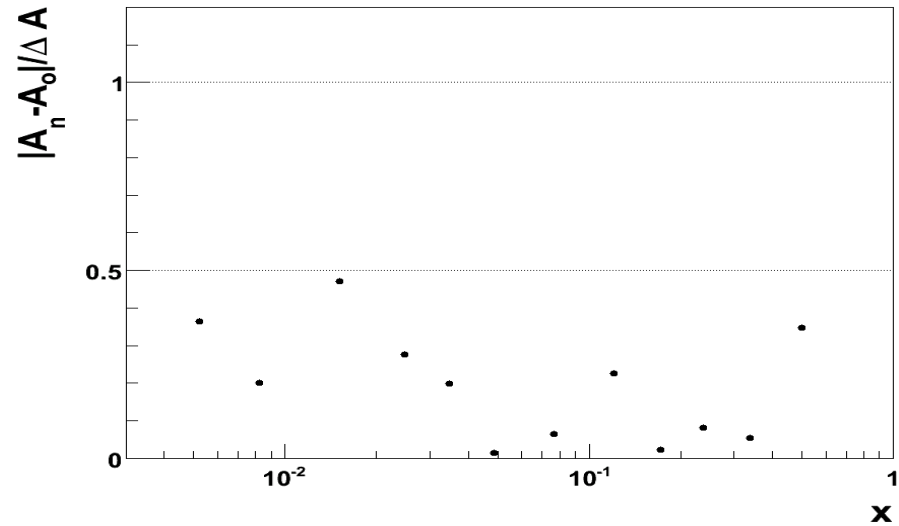
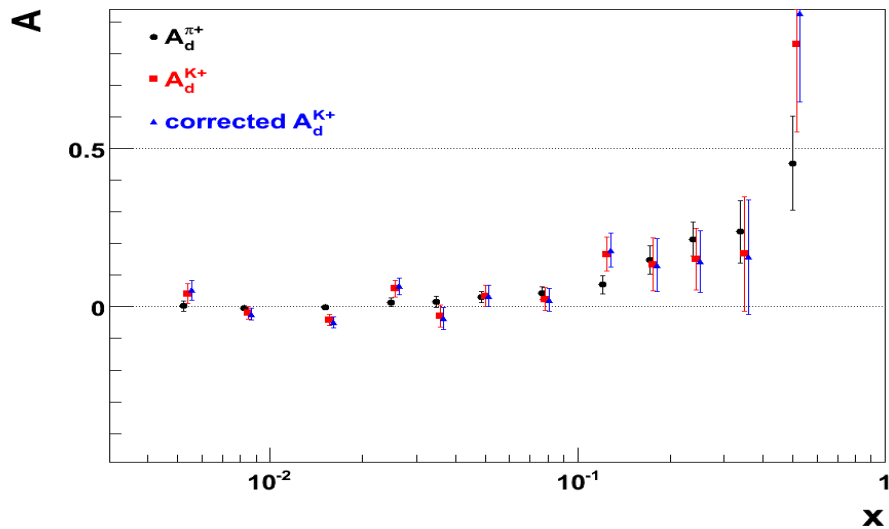
p_{π} – pions purity

p_K – kaons purity

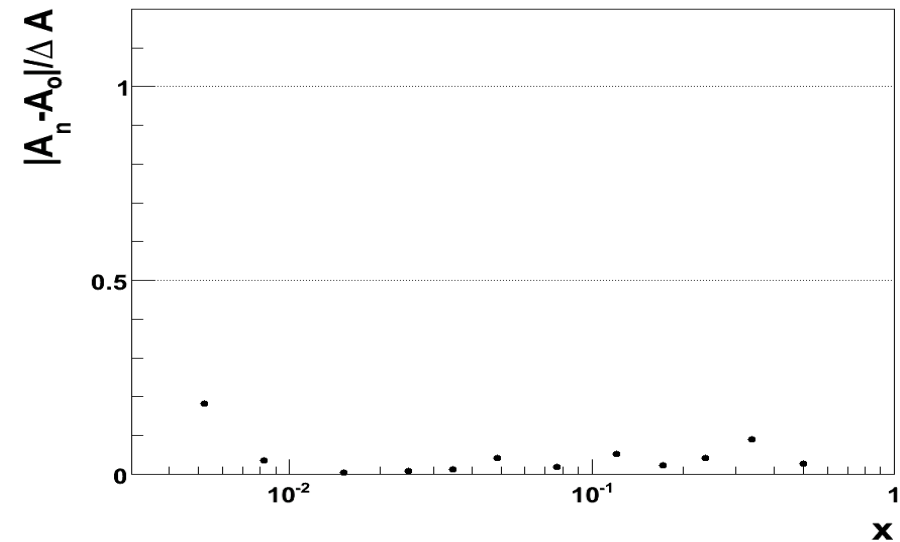
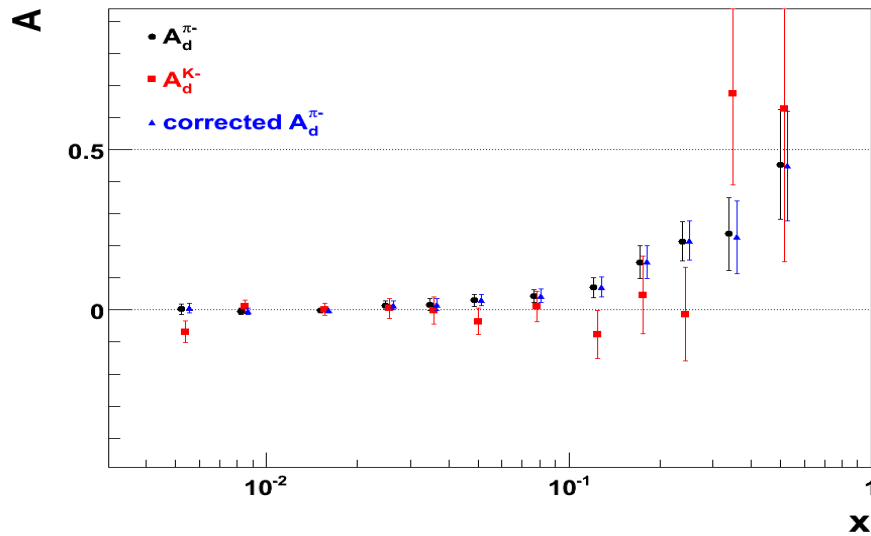
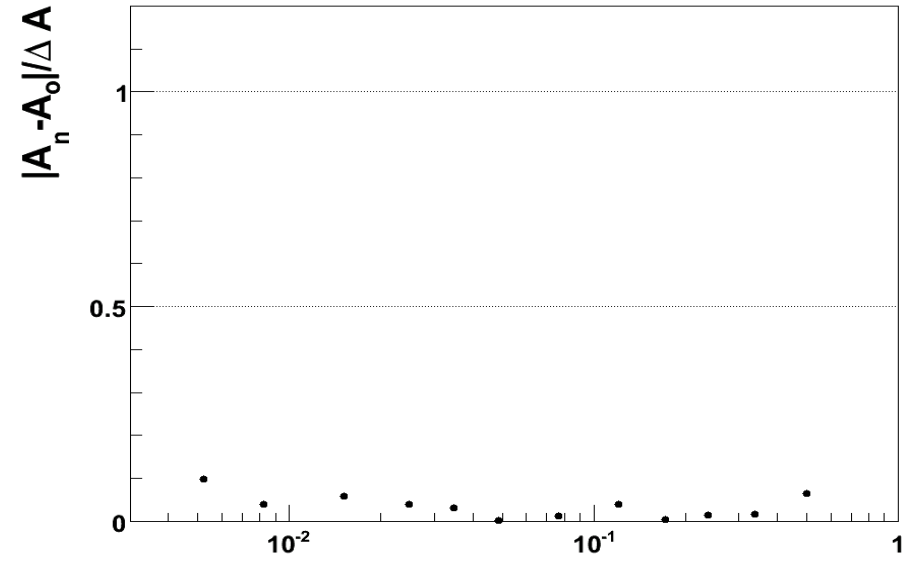
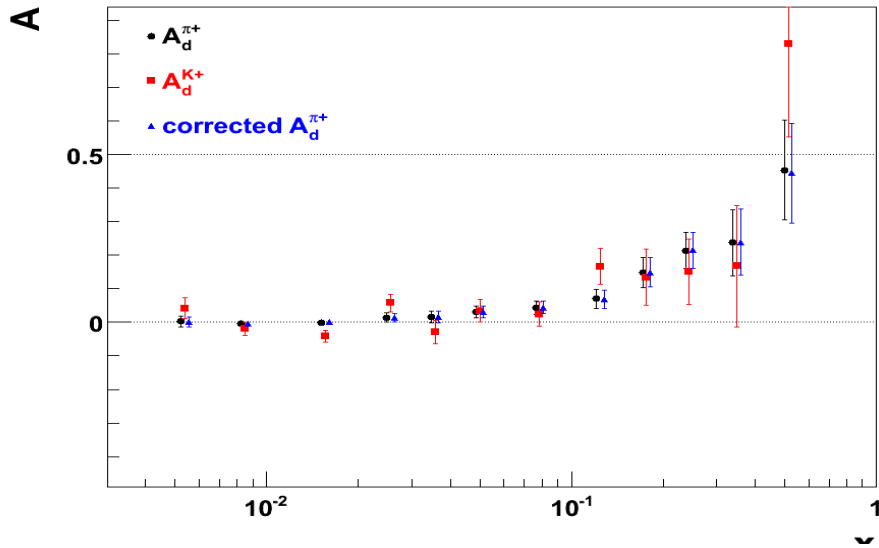
$$A_K^T = \frac{p_{\pi}}{p_{\pi} + p_K - 1} A_K^M - \frac{1 - p_K}{p_{\pi} + p_K - 1} A_{\pi}^M$$

$$A_{\pi}^T = \frac{p_K}{p_{\pi} + p_K - 1} A_{\pi}^M - \frac{1 - p_{\pi}}{p_{\pi} + p_K - 1} A_K^M$$

Asymmetries (K^+ , K^-)



Asymmetries (PI+, PI-)



Conclusions

- Bad runs and bad spills were obtained for longitudinal runs ($Q_2 > 1$)
- Purities with RICH momentum and angles are calculated
 - differences with previous method is very small
- Correction to asymmetries is important and cannot be neglected
- Still missing: cuts optimization with LH(e) and for 2006